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INTELLIGENT RISK MODELING FOR P/C INSURERS

DR. SHAUN WANG, FCAS

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Casualty Actuaries of the South East Meeting, On Georgia State Campus, 9-30-2009



- Financial Crisis and Lessons for Insurers
- □ Re-develop our risk models
- Examples of Model Calibration
- Interactive Discussions on Risk Modeling

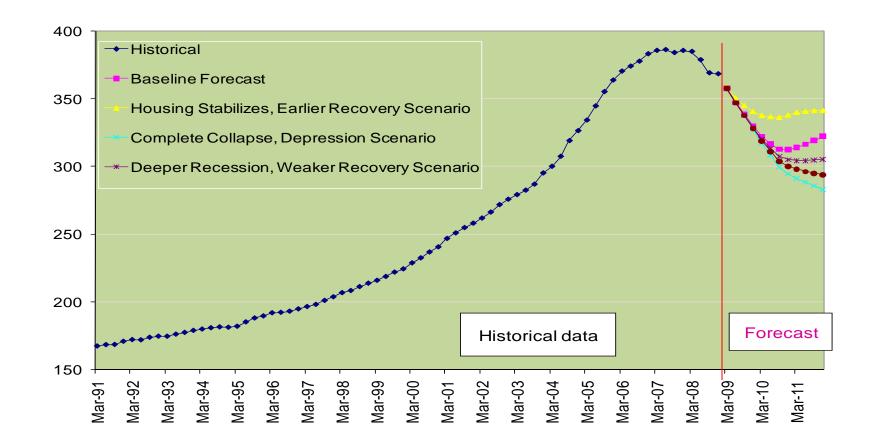
3 **Financial Crisis and Lessons for Insurers** shaun.wang@risklighthouse.com 09/30/2009

Big-pictures estimates (01-2008)

- Total value of the world's real estate
 - > \$75 trillion
- Total value of world's stock and bond markets
 - > more than \$100 trillion
 - Insurance companies hold over \$4 trillion investments (nearly \$3 trillion in rated bonds)
- > Quiz: What is P&C Industry total capital?

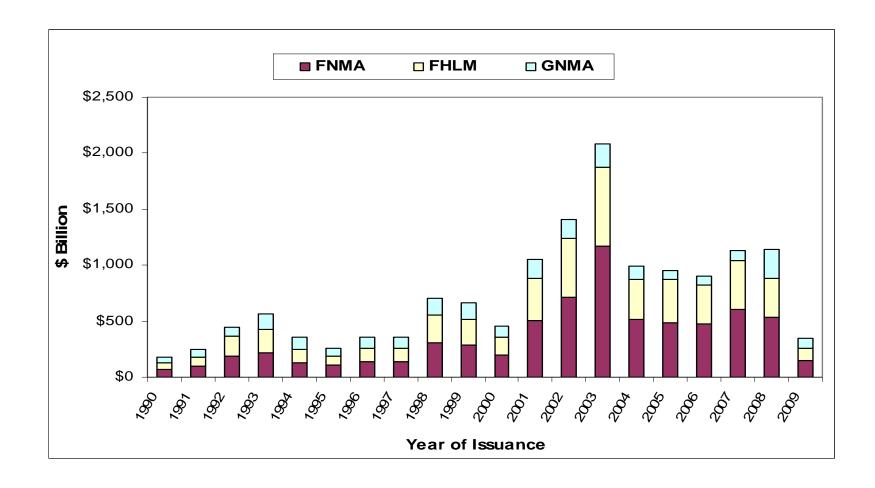
Historical and Predicted OFHEO House Price Index (Source: Moody's Economy.com)

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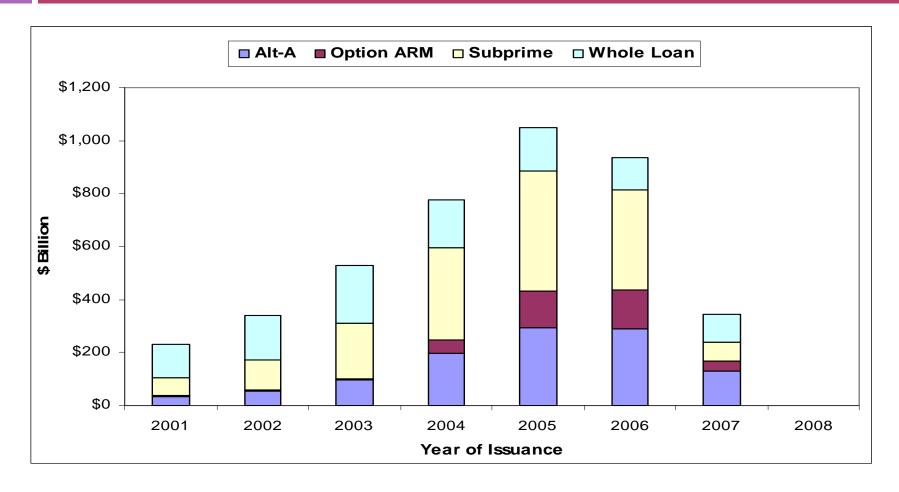
Trend of Agency Issuance and Breakdown by GSE

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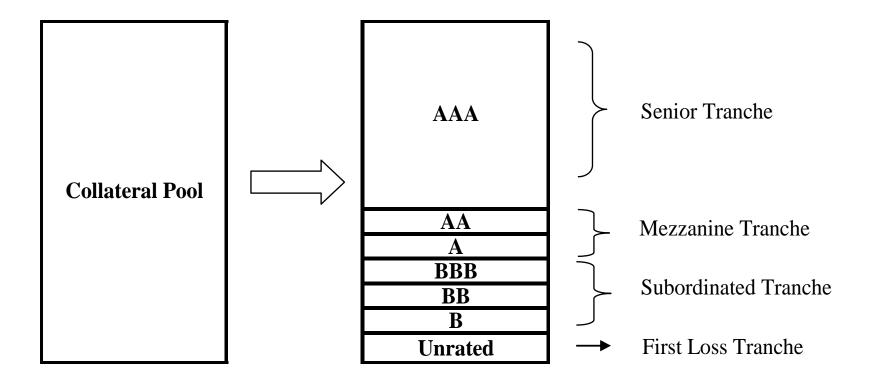


Trend of Non-Agency Issuance and Breakdown by Type

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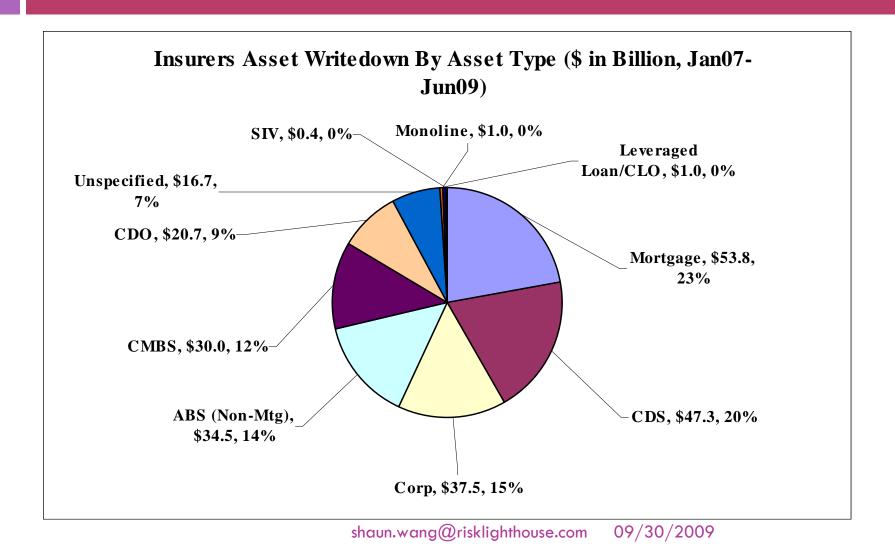


CDO (collateralized debt obligation)



Breakdown of Worldwide Insurer Asset Write-Downs Since 2007 through June 2009

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Asset Allocation and Performance --U.S. Life Insurers and Non-Life Insurers

| Table III.7 Life and P&C Insurers 2007 Allocation and 2008 Total Return | | | | | | | | | | | |
|--|-----------------|-------|-------------------|--|--|--|--|--|--|--|--|
| | 2007 Allocation | | 2008 Total Return | 1 | | | | | | | |
| | Life | P&C | Index | Index used | | | | | | | |
| Inv. Grade Corp Bond | 41.0% | 13.9% | -11.9% | Barclays US Investment Grade Corporate Index | | | | | | | |
| High Yield Corp Bond | 4.6% | 1.7% | -45.3% | Barclays US High Yield Corporate Index | | | | | | | |
| ABS | 4.3% | 1.7% | -10.2% | US Aggregate ABS Index | | | | | | | |
| CMBS | 6.7% | 2.3% | -38.1% | CMBS Index | | | | | | | |
| Mortgage Loans | 12.6% | 0.3% | -36.9% | CMBS: Whole Loan Index | | | | | | | |
| Equities | 1.3% | 17.8% | -48.6% | S&P500 Index | | | | | | | |
| Source: Barclays Capital: "Impact of the financial crisis on the insurance industry" | | | | | | | | | | | |

Recent crisis was due to collective intelligence failure

- "Intelligence is quickness in seeing things as they are" -- George Santayana (1863-1952).
- What led to collective intelligence failure?
 - Too much noise or misinformation in the system
 - Narrow focus due to professional experience (division of labor)
 - Illusion about one's own capability
 - Lack of will-power and mechanism to respond

Complex math models failed

Risk Intelligence succeeded

Why?

- Not enough attention to the whole system
- □ Focused on short-term
- Relies on superficial
 data equations, not
 paying regard to
 structural issues

Why?

- Paid attention to the big picture
- Looked at long-term trends
- Focusing on structural
 issues, incentives and
 business models

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Re-develop our Risk Models

Objectives/Goals of Risk Modeling

- Allow for analysis of broad range of P&C RISK related issues including:
 - Pricing risk
 - Reserving risk
 - Asset side risk
 - Catastrophe risk
 - Impact of changes in reinsurance structures (for reinsurance users)
 - Liquidity/cash flow

Objectives/Goals (cont'd)

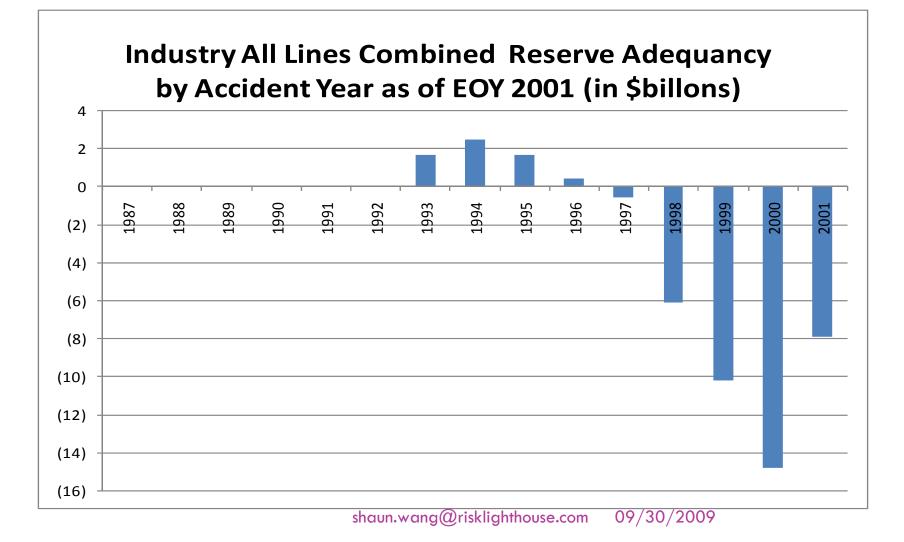
- 2. Allow for more fundamental modeling of interrelationships of risks/dependence without resorting to correlations
- 3. Allow for multi-year time horizon
- 4. Allow framework to be open enough to include systemic risk drivers including:
 - P&C U/W cycle and its drivers
 - Industry catastrophes, pricing cycle (competition), industry capital/reserve position, industry asset performance, underwriting standards

Objectives/Goals (cont'd)

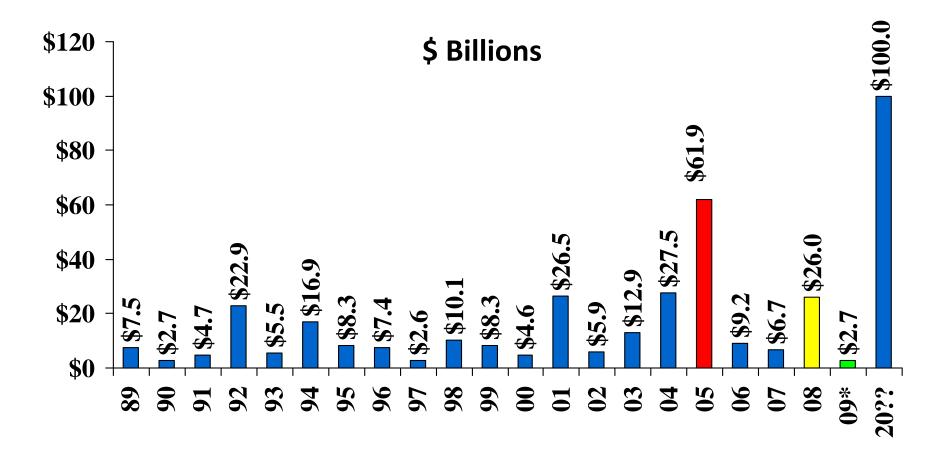
- 4. Allow some ability to test/quantify hypothetical scenarios/stress tests
 - Historical scenarios
 - Interest or Inflation rates changing significantly
 - Other changes in included economic factors:
 - Equity returns
 - Default/recovery rates
 - Credit spreads

Reserve Adequacy/Deficiency

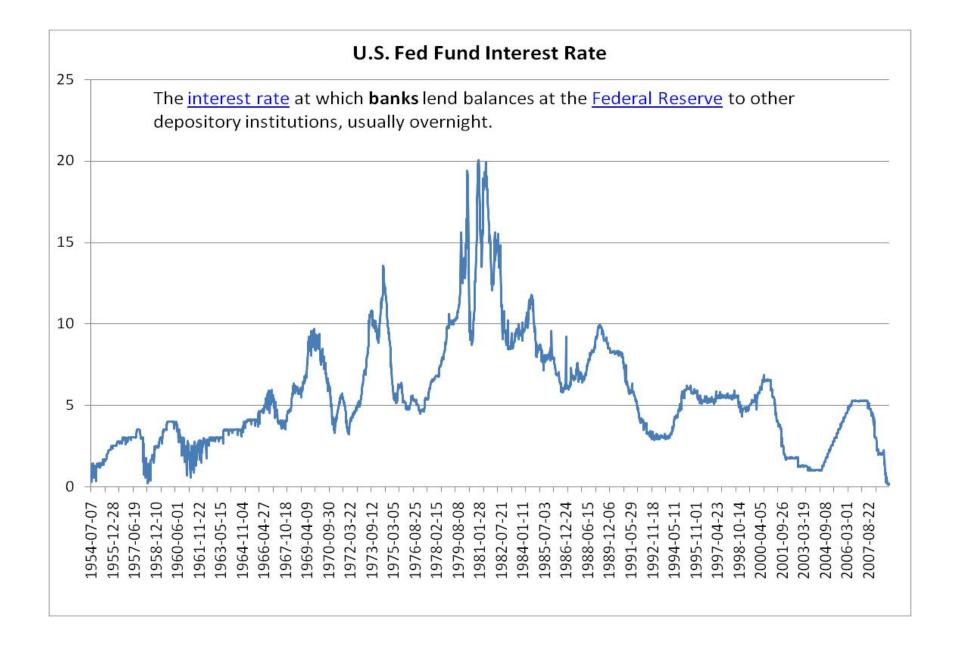




U.S. Insured Catastrophe Losses



*Based on PCS data through March 31 = \$2.7 billion. Source: Property Claims Service/ISO; Insurance Information Institute



Historical Relationship between Interest Rates and Stock Market

Dynamic Yield Curve

http://stockcharts.com/charts/YieldCurve.html

²¹ Examples of model calibration

An Interest Rates Model

- - (Nominal) Interest rates are at the heart of the economic scenarios
 - Other variables are driven by underlying interest rates
 - □ Model:
 - 2-factor model of short rate (2nd factor is a stochastic mean reverting level for short rate)

 $dr(t) = [\theta(t) + u(t) - \bar{a}'r(t)]dt + \sigma_1 dZ_1(t), \quad r(0) = \eta_0,$ $du(t) = -\bar{b}'u(t)dt + \sigma_2 dZ_2(t), \quad u(0) = 0,$

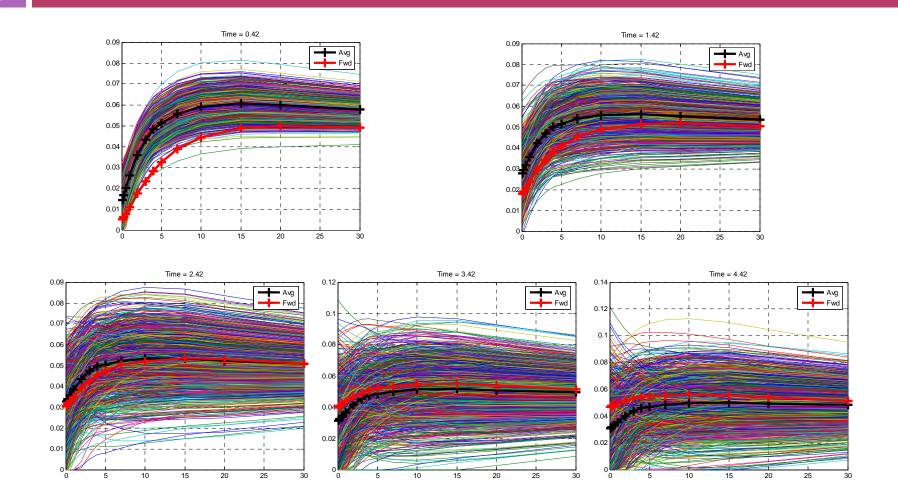
Desirable features of this model

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- Intuitive parameters (can modify to account for expectations (e.g., Fed rate increases))
- Economic basis/underlying rationale
- Consistent real-world and risk-neutral possible
- Tractable, closed form formula for basics (e.g., zero coupon bond valuation)
- Scalable, can be built upon (e.g., inflation, more than one interest rate curve/multi-national support)
- As simple as possible and no simpler (2 factors: parallel shift, slope changes)

Interest Rates – Simulation Procedure

- Use real-world parameters to generate simulated daily rates for 5 years starting with the current yield curve
- Use risk-neutral parameters to imply zero coupon bond prices and in turn the yield curve
- \square Do this N times where N =1,000 or 10,000
- Then grab the year-end values for each of the next
 5 years for the N simulations

A set of simulated interest rates

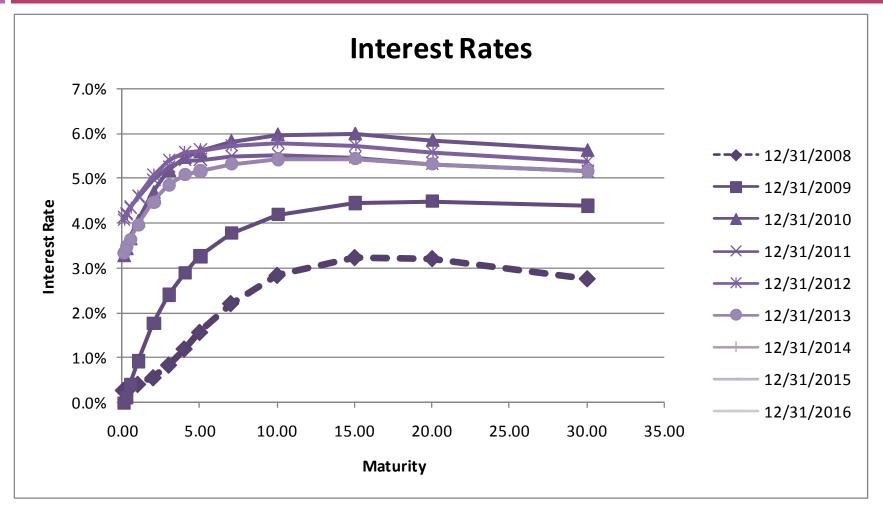


shaun.wang@risklighthouse.com 09

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Illustration: one simulated scenario





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Re-price bonds using scenarios

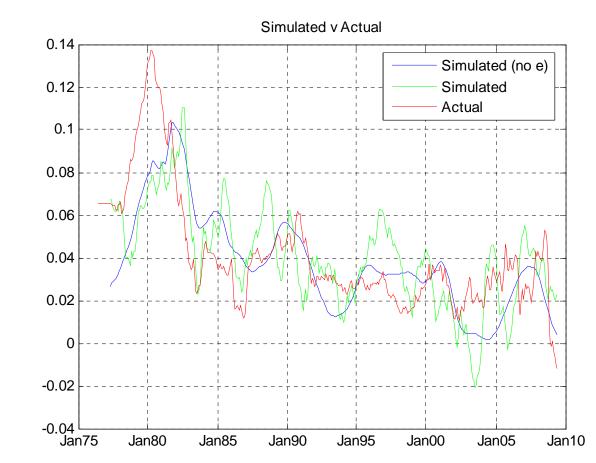
Valuation Date: 12/31/2008

| | | | | Maturity Information | | | | | | |
|--------------------|---------------------|------------------------------------|--------------|----------------------|-----|------|--------------|------------|------------|------------|
| Portfolio Name | Disc. Spread Key | Floating Ref Rate Spread Key | Bond Type | Bucketed Maturity | Low | High | Avg (WAM) | Notional | Cost | BV |
| US Government Bond | | | Fixed | Y | 20 | 30 | 30 | 10,000,000 | 10,000,000 | 10,000,000 |
| US Government Bond | | | Fixed | Y | 10 | 20 | 15 | 5,000,000 | 5,000,000 | 5,000,000 |
| US Government Bond | | | Fixed | Y | 5 | 10 | 8 | 5,000,000 | 5,000,000 | 5,000,000 |
| US Government Bond | | | Fixed | Y | 1 | 5 | 3 | 5,000,000 | 5,100,000 | 5,000,000 |
| US Government Bond | | | Fixed | Y | 0 | 1 | 1 | 1,000,000 | 1,000,000 | 1,000,000 |
| Municipal | Muni | | Fixed | Y | 20 | 30 | 30 | 10,000,000 | 10,000,000 | 10,000,000 |
| Municipal | Muni | | Fixed | Y | 10 | 20 | 15 | 10,000,000 | 9,900,000 | 10,000,000 |
| Municipal | Muni | | Fixed | Y | 5 | 10 | 8 | 7,500,000 | 7,500,000 | 7,500,000 |
| Municipal | Muni | | Fixed | Y | 1 | 5 | 3 | 5,000,000 | 5,100,000 | 5,000,000 |
| Municipal | Muni | | Fixed | Y | 0 | 1 | 1 | 1,000,000 | 1,000,000 | 1,000,000 |
| Unaffiliated | Corp-BBB | | Fixed | Y | 20 | 30 | 30 | 10,000,000 | 10,100,000 | 10,000,000 |
| Unaffiliated | Corp-BBB | | Fixed | Y | 10 | 20 | 15 | 10,000,000 | 10,000,000 | 10,000,000 |
| Unaffiliated | Corp-BBB | | Fixed | Y | 5 | 10 | 8 | 7,500,000 | 7,400,000 | 7,500,000 |
| Unaffiliated | Corp-BBB | | Fixed | Y | 1 | 5 | 3 | 5,000,000 | 5,000,000 | 5,000,000 |
| Unaffiliated | Corp-BBB | | Fixed | Y | 0 | 1 | 1 | 1,000,000 | 1,100,000 | 1,000,000 |
| Collateral Loans | Corp-BBB | LIBOR-1Y | Float | N | 0 | 3 | 3 | 100,000 | 100,000 | 100,000 |
| Mortgage Loans | RMBS | | MBS | N | 0 | 30 | 30 | 100,000 | 100,000 | 100,000 |

Inflation Rates - Model

- □ Inflation is driven by interest rates
 - Nominal interest rates implicitly have an inflation expectation
 - Goal: make inflation rates consistent with nominal interest rate scenario
 - Method I chose:
 - Regress inflation rates on interest rate factors and model residual risk
 - Residuals look like an AR model after simple regression so I've chosen an ARX model (Autoregressive with Exogenous factors)

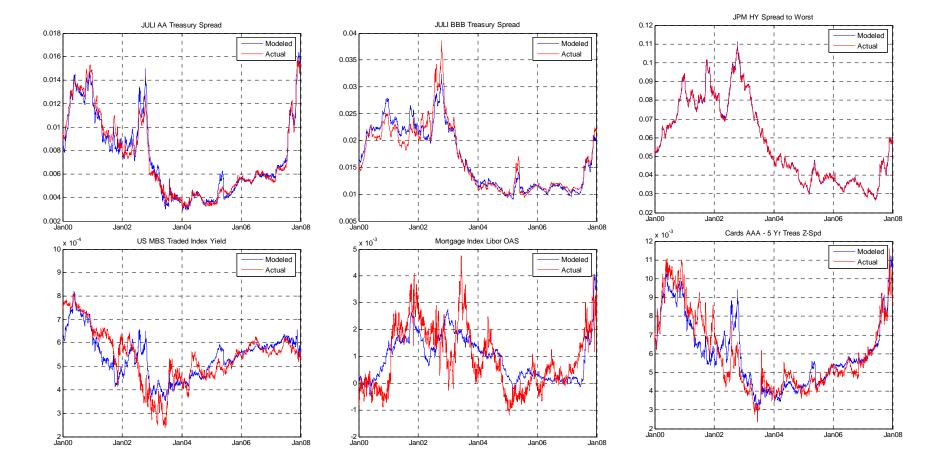
Inflation Rates - Simulation



Credit Spreads - Modeling

- To reduce dimensionality issues we use PCA (Principal Component Analysis) to boil the many spreads down to a more manageable set of factors
 - Similar to interest rate movements being composed of 3 main factors (i.e., level, slope, curvature)
 - For the set of spreads graphed above we end up with the following from PCA

Credit Spreads – Using 3 factors



Inflation Rates – Modeling choices

- What inflation rates do we model (e.g., CPI-All, CPI-Core, CPI-Medical)?
- Which are most relevant for liabilities and assets?
 Obviously this depends on the assets and liabilities
- Are they the same? If not, do we need to model multiple inflation rates? If so, what is the best model for multiple rates?

Apply Scenarios to Exposure Data

- Use industry and company Sch. P data to estimate payout patterns
- Use Sch. D data to get investment holdings
- Apply integrated scenarios to asset and liability exposure data
 - Intelligence embedded in such scenarios



Hurdles to risk modeling?

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Complex math (lack of intuitive understanding)?
 What level/type of data?

Questions for Interactive Discussions

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- How to link between (i) high-level risk models and (ii) pricing & reserving models?
- 2. How can actuaries get more involved in high-level asset risk modeling?
- 3. How to test and validate risk models, for what purposes?