# ERM, Cycles and Risk Capital Models

Paul J. Kneuer, FCAS Scott I. Rosenthal, FCAS CARe Research Corner

> HOLBORN<sup>®</sup> May 18<sup>th</sup>, 2009

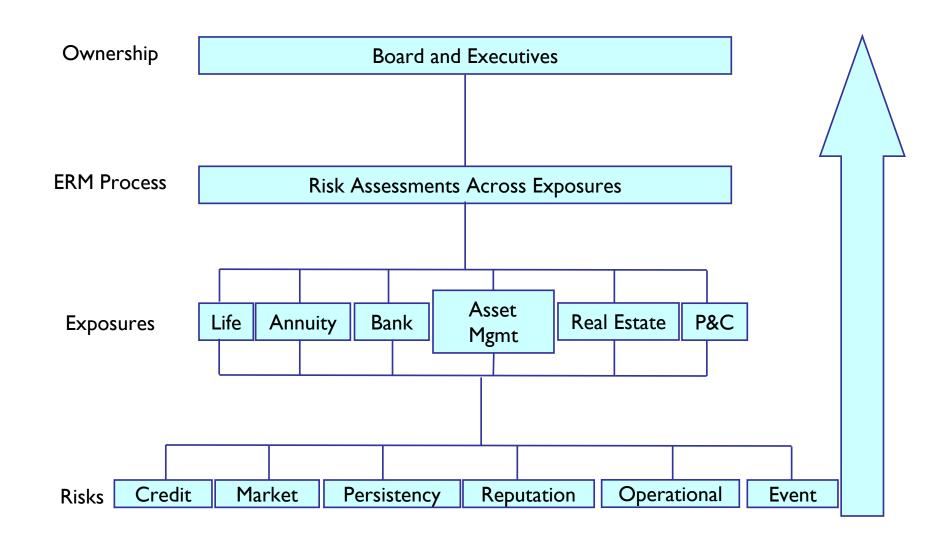
#### **Observations**

- What ERM looks like
- ERM: how did we get here?
  - Some ideas that look similar, but aren't
- The crisis: what were the problems?
  - Some ideas that look different, but aren't
- P&C context

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Some thoughts on going forward

# What ERM Looks Like Take Cross-Silo Views



# What ERM Looks Like Recent Sample from a Global Institution

	Current	Prior	Peak Daily Values:			
-in-250 Year Risks as % of Capital	Year end	Year end	Highest	Lowest		
Interest rate risk	١7.0%	8.5%	21.7%	5.8%		
Equity price risk	8.8%	3.5%	14.0%	3.7%		
Foreign exchange risk	1.9%	0.9%	2.8%	0.9%		
Commodity risk	2.3%	1.1%	2.8%	0.7%		
Diversification benefit	-8.1%	-4.4%	-14.0%	-2.7%		
Percent of Capital Exposed	21.9%	9.5%	27.4%	8.5%		
Notes:						
Percent of latest year-end capital						
For consistency with insurance reporting, daily (	figures restated as	I-in-250 yea	r exceedence le	evels		
Original results are simulations by reporting co	mpany, based on h	istorical price	volatility			
Implied risk of ruin is 0.06% per year						

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## What ERM Looks Like VAR is Counted in Dollars

	Current	Prior	Peak Daily Values:			
-in-250 Year Exceedence Amounts	Year end	Year end	Highest	Lowest		
Interest rate risk	\$ 3,817	\$	\$ 4,891	\$ 1,312		
Equity price risk	١,988	795	3,141	835		
Foreign exchange risk	437	199	636	199		
Commodity risk	517	239	636	159		
Diversification benefit	(1,829)	(994)	(3,141)	(596)		
Value at Risk	\$ 4,93 I	\$ 2,147	\$ 6,164	\$ 1,909		
Notes:						
\$ Millions						
Year end capital was \$22,490 Million						
To convert from daily to 250-year results, assumed	l Pareto with q =	= 1.25, daily '	'random walk".			

# What ERM Looks Like Banks Use a Daily Timeframe

I-in-100 Daily Value at Risk	Current Year end		Prior Year end		Peak Daily Values:			
					Highest		Lowest	
Internet with with	đ	97	đ	40	¢	122	¢	22
Interest rate risk	\$	96 50	\$	48 20	\$	123 79	\$	33 21
Equity price risk Foreign exchange risk		11		5		16		5
Commodity risk		13		6		16		4
Diversification benefit		(46)		(25)		(79)		(15)
Value at Risk	\$	124	\$	54	\$	155	\$	48
\$ Millions								
Source:								
Lehman Brothers Holdings, inc. 2007 10-K								
MD&A, page 71: "Risk Management"								

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### What ERM Looks Like Use of Risk Capital to Make Business Decisions

- Calculate VAR, RBC or BCAR, etc. contributions from individual operations
- Compute marginal risk capital and marginal profit by operation
- Rank operations on Profit/Risk Capital
- "Grow the winners."

# ERM: How Did We Get Here? Some Ideas that Look Similar, But Aren't

- Basel Accords
- COSO
- VAR

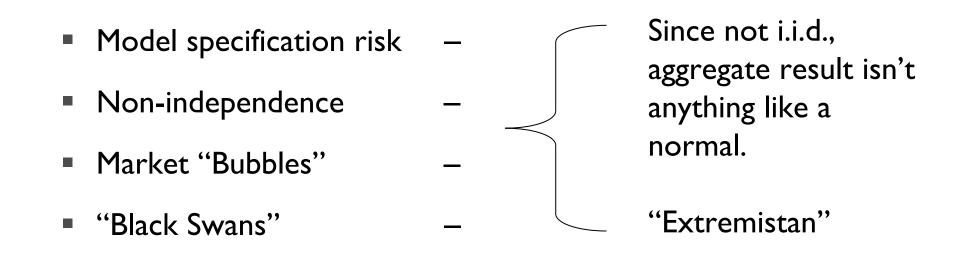
# ERM: How Did We Get Here? Some Ideas that Look Similar, But Aren't

- Basel Accords Internal measurements
- COSO Public company governance of risk
- VAR Business unit roll ups

# The Crisis: What Were the Problems? Some Ideas that Look Different, But Aren't

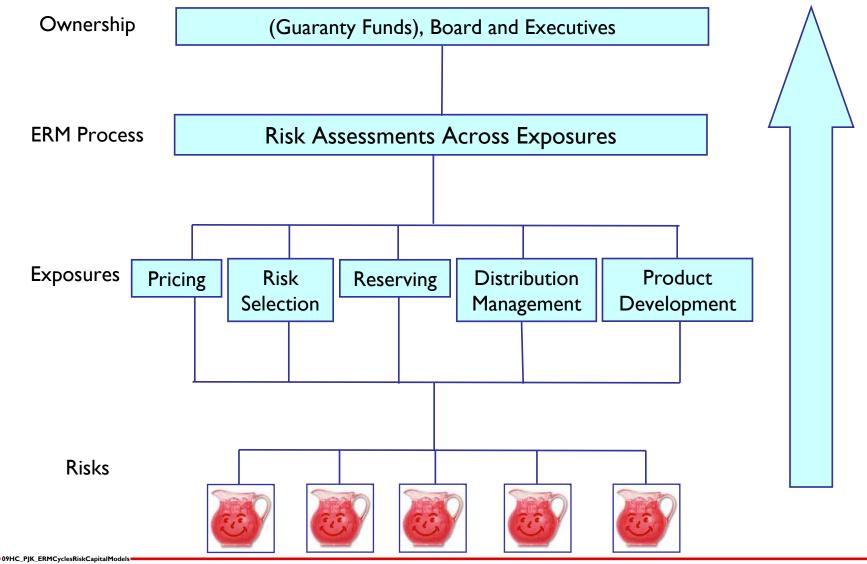
- Model specification risk
- Non-independence
- Market "Bubbles"
- "Black Swans"

# The Crisis: What Were the Problems? Some Ideas that Look Different, But Aren't



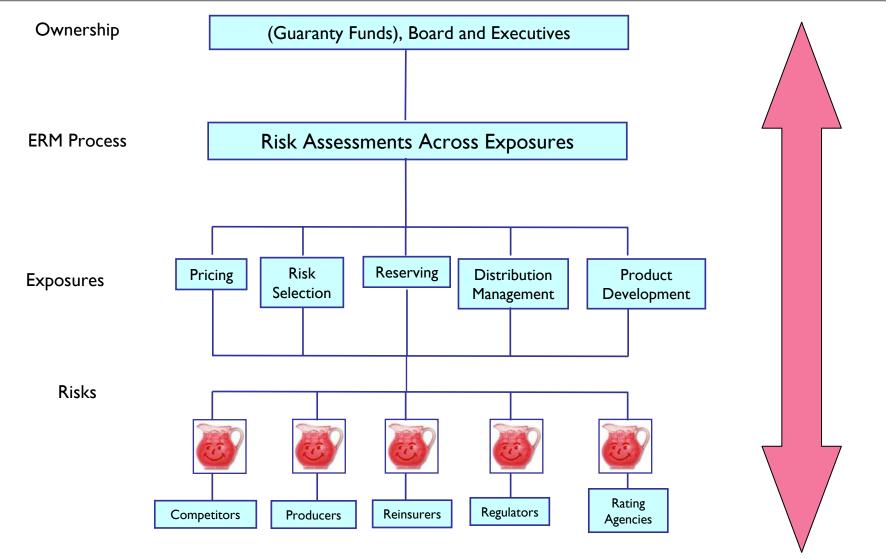
- "Driving through the back window" (f " = f)
- Industry and company both have reaction lags
- Under-reserving forces bad pricing, risk selection, distribution management and planning
- The cycle killed off more P&C companies than Cats, credit, operational failures and ALM combined

#### Silos That Matter in P&C



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# Silos That **Really** Matter in P&C







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Risk capital models:

- Understate the risk of ruin, but do give a floor measure
- Are objective
- Can provide a relative measure inside a company

But:

Need to reflect a wider view of risk: Cycles or bubbles

If f " = -f, cycle response is a sine function. Risk level is:

$$R(t) = I + a \cdot \cos(\frac{2\pi}{b} \cdot t + c)$$
  

$$a = amplitude (observed, guessed)$$
  

$$b = period (guessed)$$
  

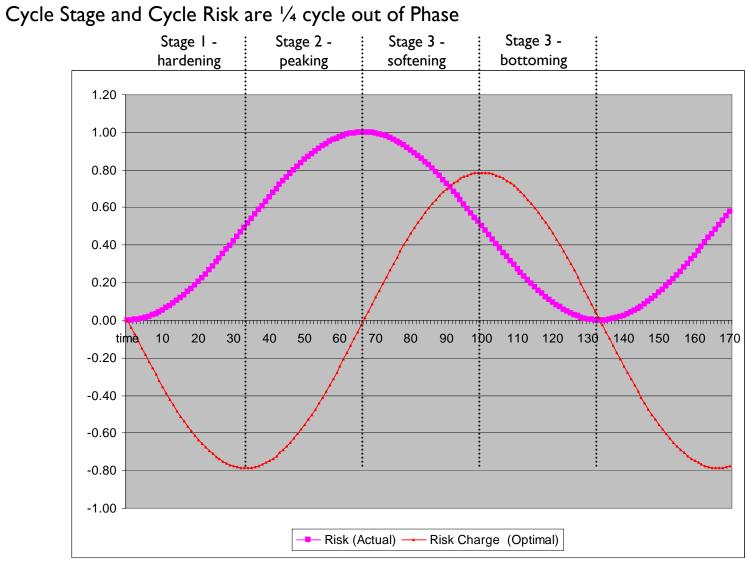
$$c = time since last trough (observed)$$

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Risk of managing in the cycle is that you don't know how long the period of the cycle is. When is the next trough?

Risk Charge = dR/db = a sin  $\left(\frac{2\pi}{b} \cdot t + c\right) \cdot \frac{2\pi}{b^2}$ 

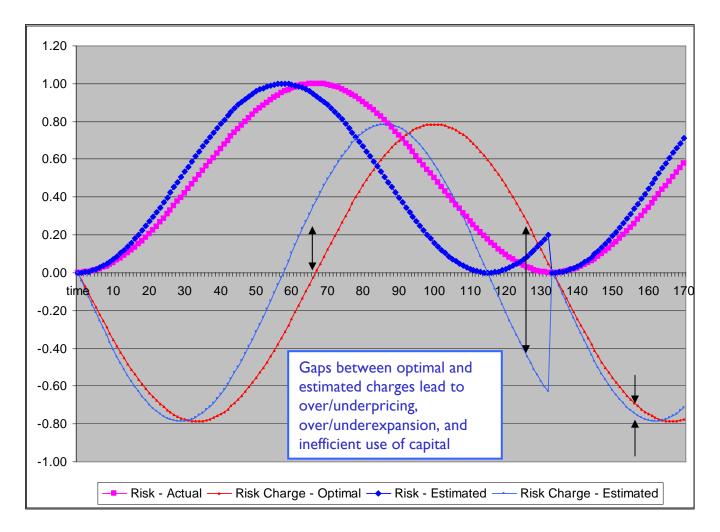
Risk charge for cycles should reflect both estimate of the amplitude (a), but even more on how long you think the period is (b).



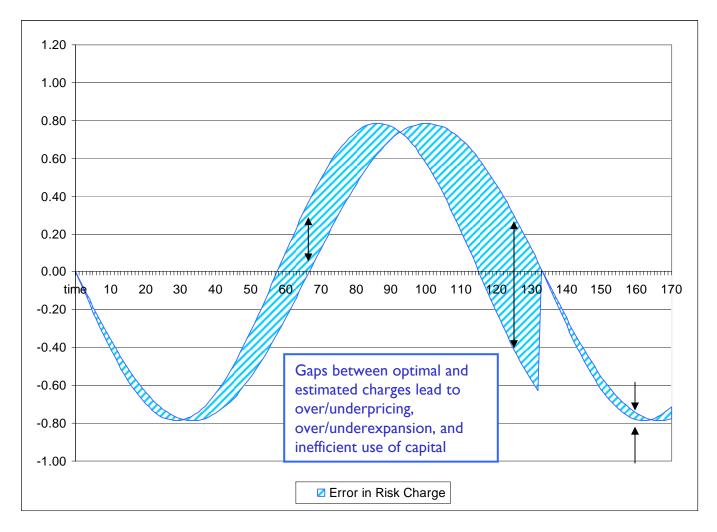
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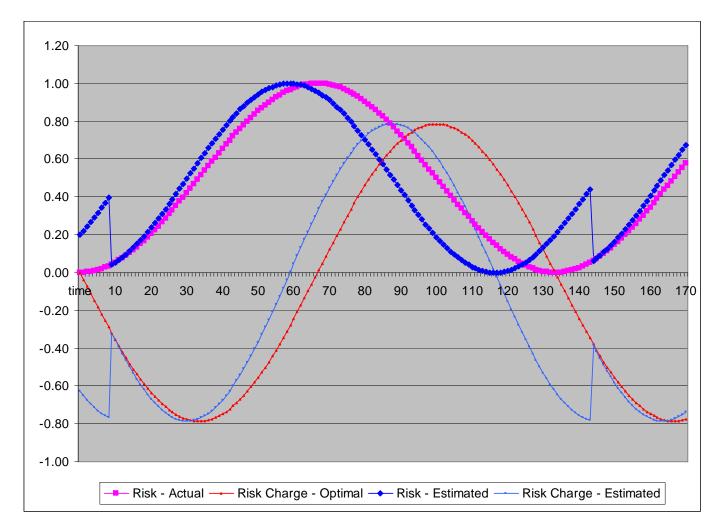
Actual view of the cycle is imperfect. Example 1: "cycle bottom is 'overdue"



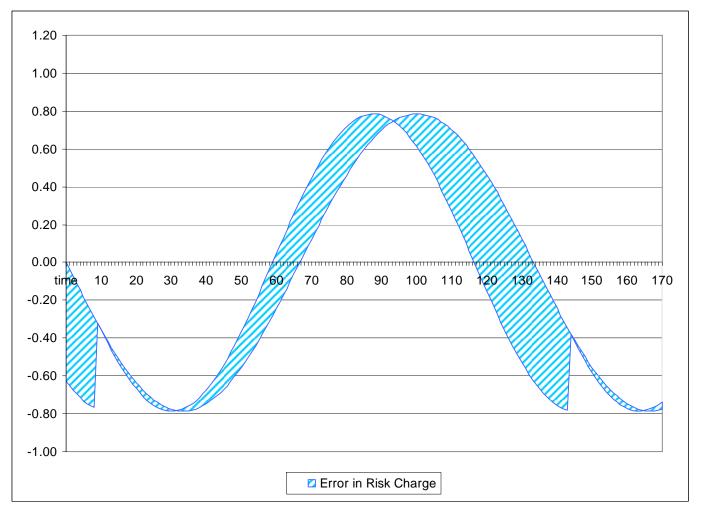
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Actual view of the cycle is imperfect. Example 2: Delay in identifying trough

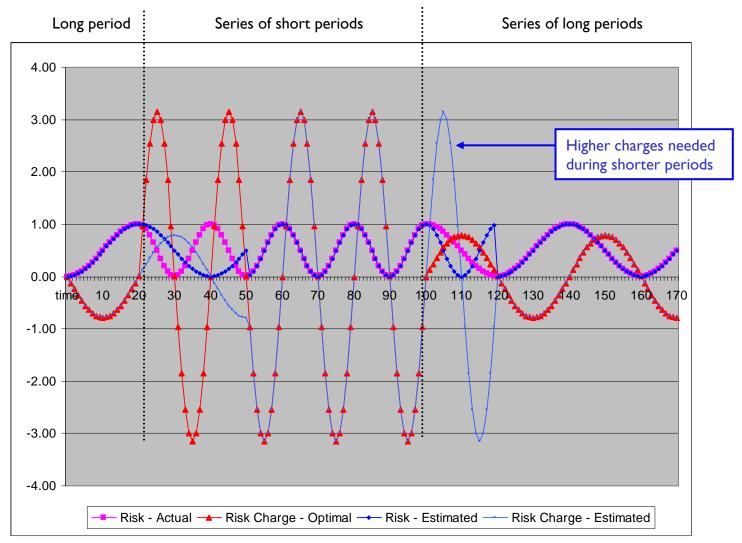


Actual view of the cycle is imperfect. Example 2: Delay in identifying trough



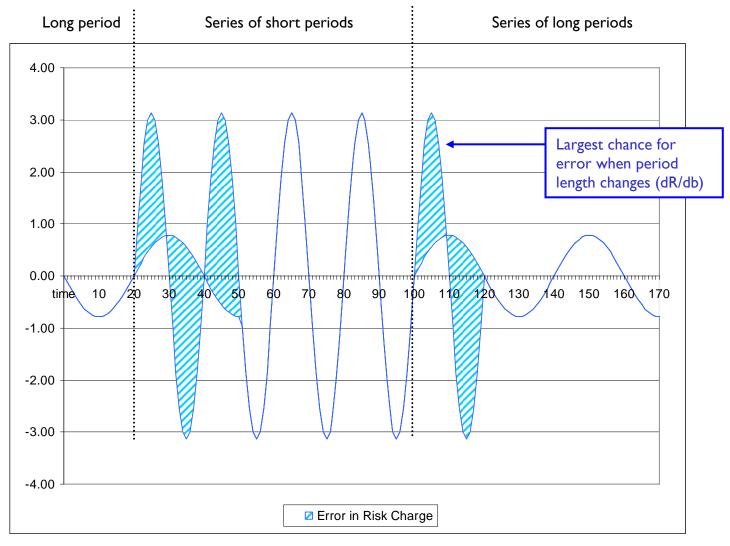


Actual view of the cycle is imperfect. Example 3: Over-/under-estimate cycle period





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www.holborn.com

212-797-2285

#### SOA/CAS call paper:

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