## Chain ladder correlations

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CAS Spring meeting Phoenix Arizona 20-23 May 2012



















































- Denote
  - $\rho_{k,j+m,j+m+n|j}$  by  $\rho^{\text{NR}}{}_{k,j+m,j+m+n|j}$  for the non-recursive model
  - $\rho_{k,j+m,j+m+n|j}$  by  $\rho^{\mathsf{R}}{}_{k,j+m,j+m+n|j}$  for the recursive model
- Then
  - $\rho^{\mathsf{NR}}_{k,j+m,j+m+n|j} \geq \rho^{\mathsf{R}}_{k,j+m,j+m+n|j}$
  - $-\ \rho^{NR}_{k,j+m,j+m+n|j} \ / \ \rho^{R}_{k,j+m,j+m+n|j} \rightarrow 1 \ as \ j \rightarrow \infty$

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- The recursive and non-recursive models considered here are quite different but generate identical (chain ladder) forecasts
- However their prediction errors differ
- How should one decide which of these chain ladder models to adopt?
- Correlation properties of forecasts might provide one criterion for the decision
  - e.g. if one wishes to assume heavy correlations, one might adopt the recursive form

